Advanced characterization of PEMFCs using a two-phase time-dependent model

Zurich University of Applied Sciences



Robert Herrendörfer and Jürgen O. Schumacher

Institute of Computational Physics, Zurich University of Applied Sciences, 8401 Winterthur, Switzerland robert.herrendoerfer@zhaw.ch

Overview

Recently, Vetter and Schumacher [2-3] showed that it is crucial to determine with high precision membrane properties as a function of hydration number. Here we:
1. Develop a non-isothermal, two-phase time-dependent PEM fuel cell model
2. Conduct classical EIS experiments using small input signals

2.2 Membrane properties



- 2.1 Analyze the response of current density
- 2.2 Analyze the response inside the membrane and extract from it membrane properties, which is illustrated by the electro-osmotic drag coefficient
- 3. Analyze the non-linear, distorted response from larger input signals

1. Time-dependent PEMFC model

We build upon our previously developed steady-state PEFC model [1-2]:

- 1D through-plane, macro-homogeneous, non-isothermal, two phase
- Electrochemistry: Butler-Volmer equation
- Fully parameterized: Maxwell-Stefan diffusion, adsorption/desorption, condensation/evaporation, temperature/hydration dependence of properties, ...

• Coupled solution of 8 transport equations using COMSOL



1D model setup of a PEMFC in through-plane direction. Thickness of the different layers are L_{GDL} = 174.3 μ m, L_{CL} =7.3 μ m, L_{PEM} =25.4 μ m. Boundary temperature is 70 °C and pressure is 1.5 bar. In the CL, ionomer volume fraction is 0.3 and tortuosity is 1.4. Pore tortuosity/Porosity is 2.96/0.7 in GDLs and 1.5/0.18 in CLs. Electron conductivity is 400 S/m. The double layer capacitance is 0.2 F/m².

• Extraction of the electro-osmotic drag coefficient ξ :



3. Large-signal response



• Implementation of transient terms:

Electron transport	$a_{\rm A,C}C_{\rm DL}\frac{\partial\varphi_{\rm e}}{\partial t} + \nabla \cdot j_{\rm e} = S_{\rm e}, j_{\rm e} = -\sigma_{\rm e}\nabla\varphi_{\rm e}$
Proton transport	$\underline{a_{\mathrm{A,C}}C_{\mathrm{DL}}\frac{\partial\varphi_{\mathrm{p}}}{\partial t} + \nabla \cdot j_{\mathrm{p}} = S_{\mathrm{p}}, j_{\mathrm{p}} = -\sigma_{\mathrm{p}}\nabla\varphi_{\mathrm{p}}}$
Heat conduction	$c_p \frac{\partial T}{\partial t} + \nabla \cdot j_T = S_T, j_T = -k\nabla T$
Hydrogen diffusion	$(1-s)\epsilon_{\rm p}C\frac{\partial y_X}{\partial t} + \nabla \cdot j_X = S_X, \mathbf{X} = \mathbf{H}_2, \mathbf{H}_2\mathbf{O}, \mathbf{O}_2$
Oxygen diffusion	$Ot \qquad Ot \qquad \qquad \qquad Ot \qquad \qquad$
Water vapor diffusion	$-\mathcal{O} \vee g_X = \sum_{Y \neq X} \overline{\mathcal{D}_{X,Y}}$
Dissolved water	$\underline{\frac{\epsilon_{\rm i}}{V_{\rm m}}\frac{\partial\lambda}{\partial t} + \nabla \cdot j_{\lambda} = S_{\lambda}, j_{\lambda} = -\frac{D_{\lambda}}{V_{\rm m}}\nabla\lambda + \frac{\xi}{F}j_p}$
Liquid water transport	$\frac{\epsilon_p}{V_w}\frac{\partial s}{\partial t} + \nabla \cdot j_s = S_s, j_s = -\frac{D_s}{V_w}\nabla s s = 0.1$

2.1 Small-signal response: EIS

• Steady-state operating points: • Classical EIS: $V = V_0 + \Delta V \sin(2\pi f t), \quad \Delta V = 1 \text{mV} \quad Z = \frac{\varphi_e}{j_e}$

• Analysis of the response to input amplitudes from 1 mV to 32 mV • Calculation of the total harmonic distortion (THD) with P, being the power at the *i*-th harmonic of the input signal: $\sum_{i=1}^{10} P_i$ $THD = \chi$ 0.14 0.2 0.12 0.15 QH 0.1 0.08 THD OHT 0.5 0.1 0.06 0.04 0.05 10⁻¹ 10⁻³ 10³ 10⁻⁵ 10⁻³ 10⁻³ 10⁻⁵ 10⁻¹ 10⁻⁵ 10^{1} 10^{3} 10³ 10^{1} 10^{-1} 10¹ f [Hz] f [Hz] f [Hz] 2 mV - 4 mV - 8 mV - 16 mV - 32 mV 1 mV

Conclusions

- Classical EIS detects electrical conductivity, polarization resistance and time scales related to double-layer capacitance and membrane hydration.
- Analyzing further the response inside the membrane allows extraction of the electro-osmotic drag coefficient.
- Outlook:



- JULIOUK.
- Rerun models by including liquid water saturation
- Utilize the large-signal response as on-board diagnostics
- Analyse the response from different inputs: temperature, gas pressure, ...

Acknowledgements

We gratefully acknowledge the financial support by the Swiss Federal Office of Energy for the project "Advanced characterization of fuel cell stacks for automotive applications" (SFOE contract number: SI/501764-01).

References:

[1] Roman Vetter and Jürgen O. Schumacher, 2019, Free open reference implementation of a two-phase PEM fuel cell model, Comp. Phys. Commun., 234, 223-234, 10.1016/j.cpc.2018.07.023
 [2] Roman Vetter and Jürgen O. Schumacher, 2018, Experimental parameter uncertainty in PEM fuel cell modeling. Part I: Scatter in material parameterization, submitted, arXiv:1811.10091

[3] Roman Vetter and Jürgen O. Schumacher, 2018, Experimental parameter uncertainty in PEM fuel cell modeling. Part II: Sensitivity analysis and importance ranking, submitted, arXiv:1811.10093